

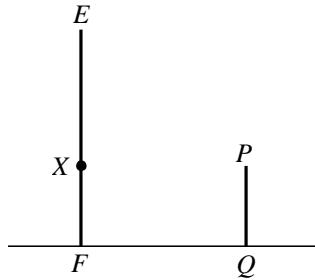


## CHAPTER 10: ANGLES OF ELEVATION AND DEPRESSION



### Cloned SPM Question (2006, Paper 1)

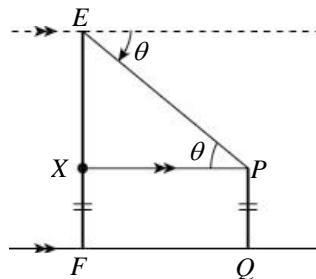
In the diagram,  $EF$  and  $PQ$  are two vertical poles on a horizontal plane.  $X$  is a point on  $EF$  such that  $PQ = XF$ .



The angle of depression of  $P$  from  $E$  is

- |          |              |          |              |
|----------|--------------|----------|--------------|
| <b>A</b> | $\angle EPX$ | <b>C</b> | $\angle PEX$ |
| <b>B</b> | $\angle EPF$ | <b>D</b> | $\angle QEF$ |

**Solution**



Angle of depression of  $P$  from  $E$

$$= \theta$$

$$= \angle EPX$$

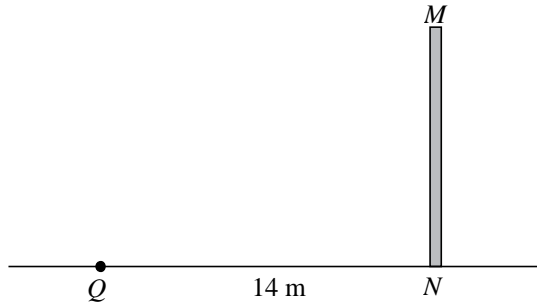
**Answer: A**

#### Pointers

- Draw a line parallel to  $FQ$  and join  $EP$ . Thus, the angle of depression of  $P$  from  $E = \theta$
- Using alternate angles,  $\theta = \angle EPX$

 **Cloned SPM Question (2006, Paper 1)**

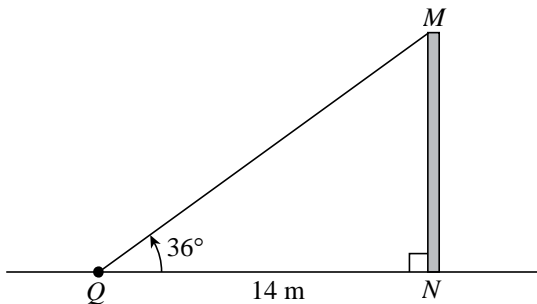
In the diagram,  $MN$  is a vertical lamp post on a horizontal ground. The angle of elevation of  $M$  from  $Q$  is  $36^\circ$ .



The height, in m, of the lamp post is

- A 9.37
- B 10.17
- C 11.33
- D 19.27

**Solution**



$$\frac{MN}{14} = \tan 36^\circ$$

$$MN = 14 \tan 36^\circ$$

Thus, height of the lamp post = 10.17 m

**Answer: B**

**Pointers**

- Identify the angle of elevation given, that is  $\angle MQN = 36^\circ$ .
- Since  $\triangle MQN$  is right-angled, and the sides involved are the opposite side  $MN$  and the adjacent side  $QN$ , use tangent to find  $MN$ , the height of the lamp post.