



Paper 2

**Solution to Question 24** 



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$$ON = \frac{1}{2} \times 14 = 7 \text{ cm}$$

In triangle VON, 
$$\frac{VO}{ON} = \tan 50^{\circ}$$
  
 $VO = 7 \tan 50^{\circ}$   
 $= 8.342 \text{ cm}$ 

$$MO = \frac{1}{2} \times 10 = 5 \text{ cm}$$

Thus, angle between the face *VCD* and the base  $ABCD = \theta$ 

$$\tan \theta = \frac{VO}{MO}$$
$$= \frac{8.342}{5}$$
$$= 1.6684$$
$$\theta = 59^{\circ} 4'$$





1.

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## Paper 1

The diagram shows a cuboid with a horizontal base *PSZW*.



Name the angle between the plane *PSYX* and the plane *PQRS*.

Α	$\angle RSY$	С	$\angle RSQ$
B	$\angle RSX$	D	$\angle RSW$

2. The diagram shows a right prism with an isosceles triangle XYZ as its uniform cross section. *M* is the midpoint of *PR* and *N* is the midpoint of *XY*.



The angle between the plane *PRZ* and the plane *PRYX* is

Α	$\angle ZRN$	С	$\angle ZMX$
B	$\angle ZMN$	D	$\angle ZMY$

**3.** The diagram shows a cuboid with a horizontal base *PQRS*. *M* is a point on the edge *JK* of the cuboid.



Name the angle between the line SM and the plane JKRQ.

Α	$\angle SMR$	С	$\angle SMQ$
B	$\angle SMK$	D	$\angle SMJ$



4. The diagram shows a right prism with a horizontal base PQRS. Trapezium PNMS is the uniform cross section of the prism.



Name the angle between the line KS and the plane PQKN.

Α	$\angle SKN$	С	$\angle SKM$
B	$\angle SKQ$	D	$\angle SKP$



## Paper 2

The diagram shows a right prism with a horizontal rectangular base FGRQ. The right-1. angled triangle *PQR* is the uniform cross section of the prism.





Identify and calculate the angle between the line *ER* and the base *FGRQ*.

2. The diagram shows a cuboid with a horizontal rectangular base MNSR.



Identify and calculate the angle between the line ZN and the plane PSNK.



3. The diagram shows a right prism with a horizontal rectangular base *ABCD*. The trapezium *ABFE* is the uniform cross section of the prism and AC = 10 cm.



Identify and calculate the angle between the plane *BCHE* and the plane *BCGF*.

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4. The diagram shows a cuboid with a horizontal square base *KLFE*.



Calculate the angle between the plane *HFK* and the base *KLFE*.